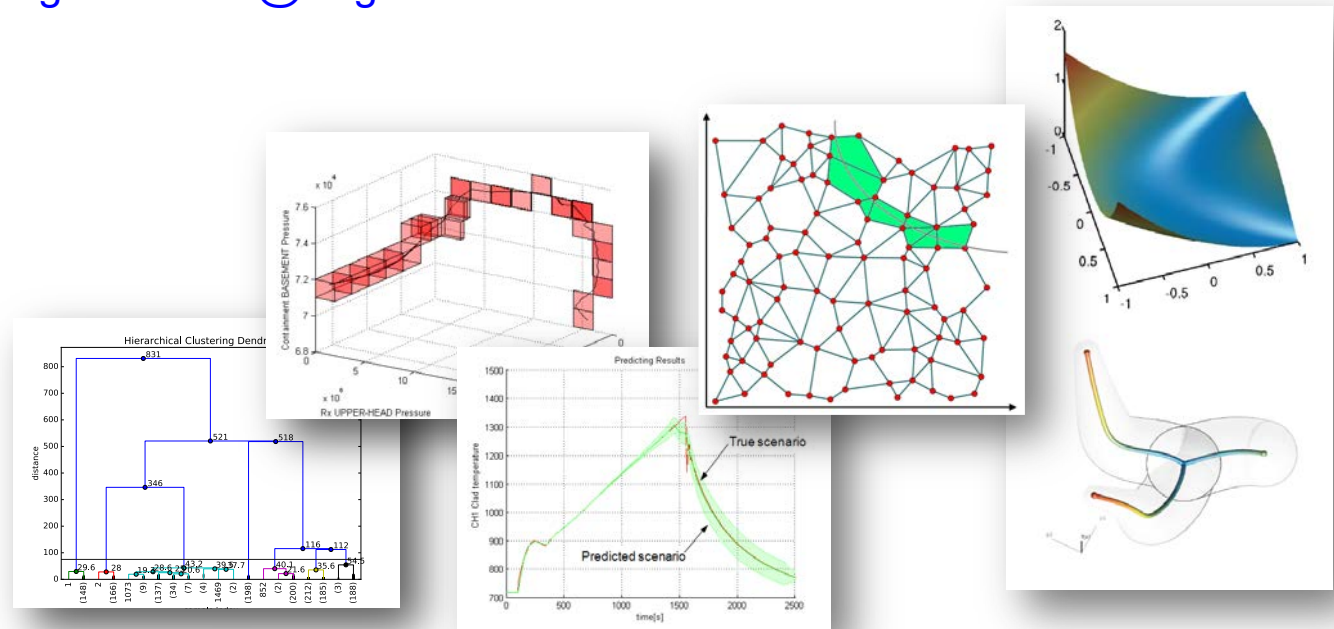


Linking Classical PRA Models to a Dynamic PRA

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A. Alfonsi, Z. Ma and C. Smith

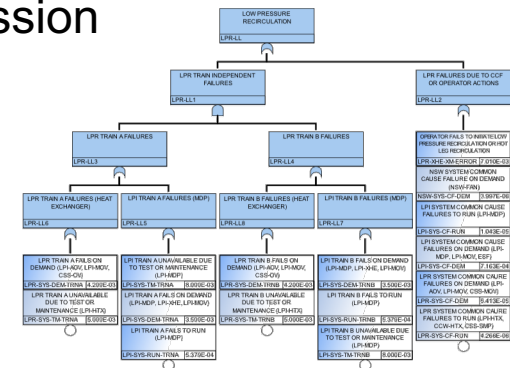
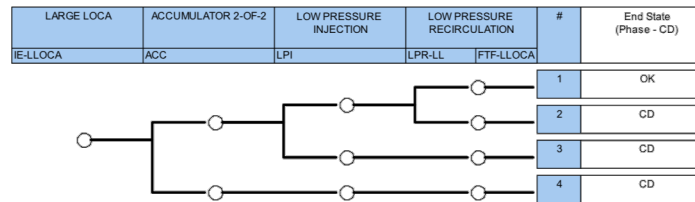
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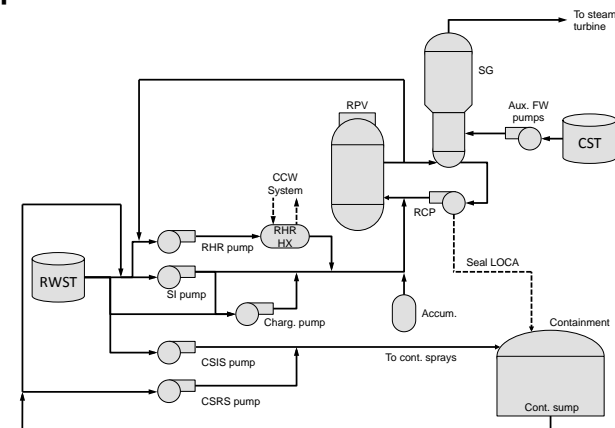
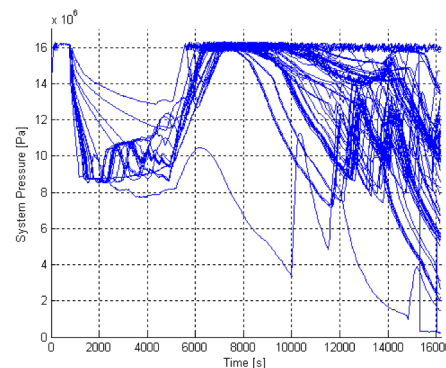


Classical and Dynamic PRA

- **Classical PRA:** based on static Boolean structures
 - Event-Trees (ET): inductively model accident progression
 - Fault-Trees (FT): deductively model system failure

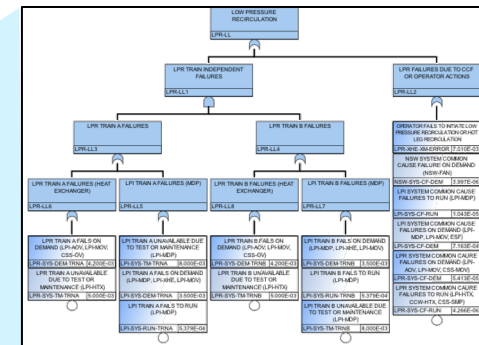
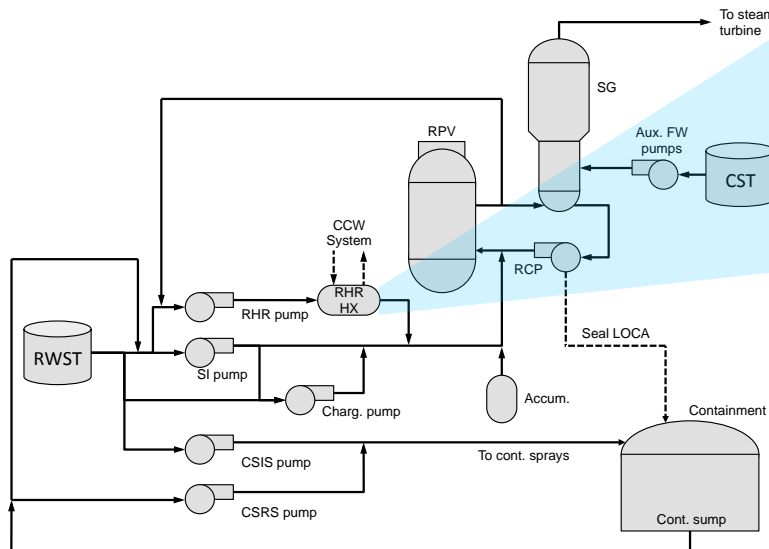


- **Dynamic PRA:** simulation-based methods that couple:
 - System simulator codes (e.g. RELAP5-3D)
 - Stochastic tools (e.g., RAVEN)



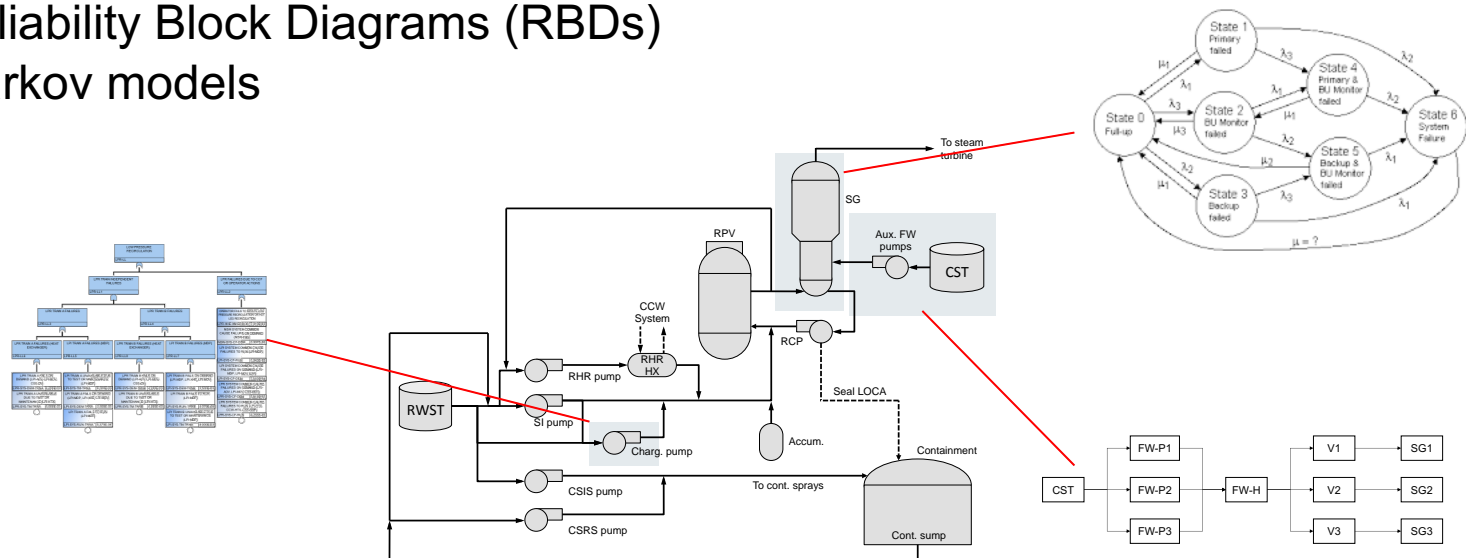
Classical and Dynamic PRA

- **Issues** related to the Dynamic PRA analysis:
 - Computationally expensive
 - Some components of the system might not require a simulation model
 - Implementation of control logic systems in a system simulator might be challenging



Objectives of the Integration

- Integration of Classical models into a Dynamic PRA
 - **Rationale:** some systems/components might not require a simulation model
 - Could be modeled by employing a Classical PRA model (e.g., a FT)
 - **Objective:** integrate Classical PRA models into a Dynamic PRA (“Hybrid” PRA)
 - ETs
 - FTs
 - Reliability Block Diagrams (RBDs)
 - Markov models



Integration

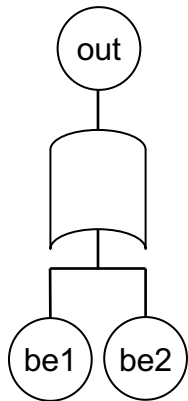
- In Dynamic PRA time is explicitly considered
- Most Classical PRA models are based on Boolean logic structures
- Each Dynamic PRA model is characterized by a precise set of input and output variables
- **Approach:**
 1. Define input and output variables for each Classical PRA model

| Model | Input Variables | Output Variables |
|--------------|-------------------------|-------------------|
| ET | Branching conditions | Sequence, Outcome |
| FT | Basic Events | Top Event |
| Markov model | Initial state, End time | Final state |
| RBD | Block statuses | System status |

2. Extend Classical PRA models to deal with time dependent data; e.g., pump failure time instead of pump failure
3. Link models (e.g., FT and RBD with RELAP5) together

Extending FT to Time Domain

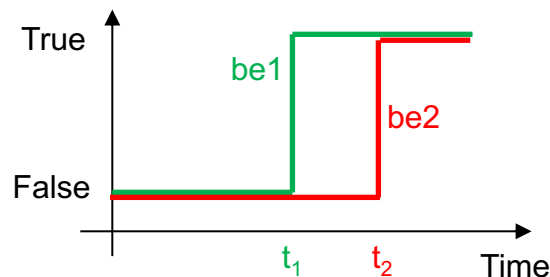
- **Challenge:** Basic Events of a FT can be different in nature (Boolean or time value)
- Gate values are consequently different in nature depending on the type of value of the Basic Event
- **Example: FT AND gate**



| Boolean | | |
|---------|--------|-------|
| be_1 | be_2 | out |
| False | False | False |
| False | True | False |
| True | False | False |
| True | True | True |

| Time dep. | | |
|-----------|--------|------------------|
| be_1 | be_2 | out |
| t_1 | t_2 | $\max(t_1, t_2)$ |

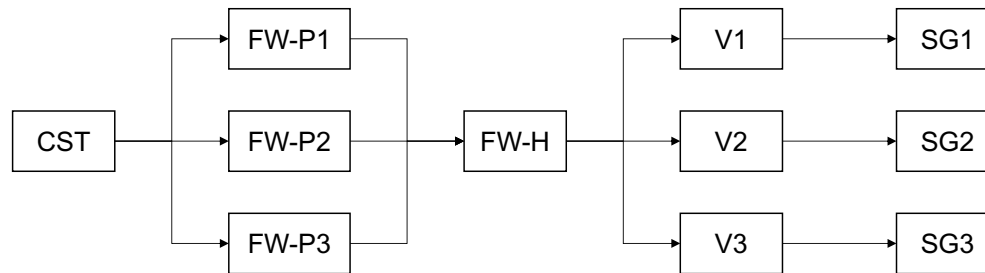
| Boolean and time dep. | | |
|-----------------------|--------|-------|
| be_1 | be_2 | out |
| False | t_2 | False |
| True | t_2 | t_2 |



- **Solution:** An algorithm has been developed in RAVEN which:
 - Given a generic FT structure
 - Computes the outcome of the FT Top Event for a generic set of values of the Basic Events

Extending RBD and Markov Models to Time Domain

- **RBD:** a similar algorithm has been developed for RBD

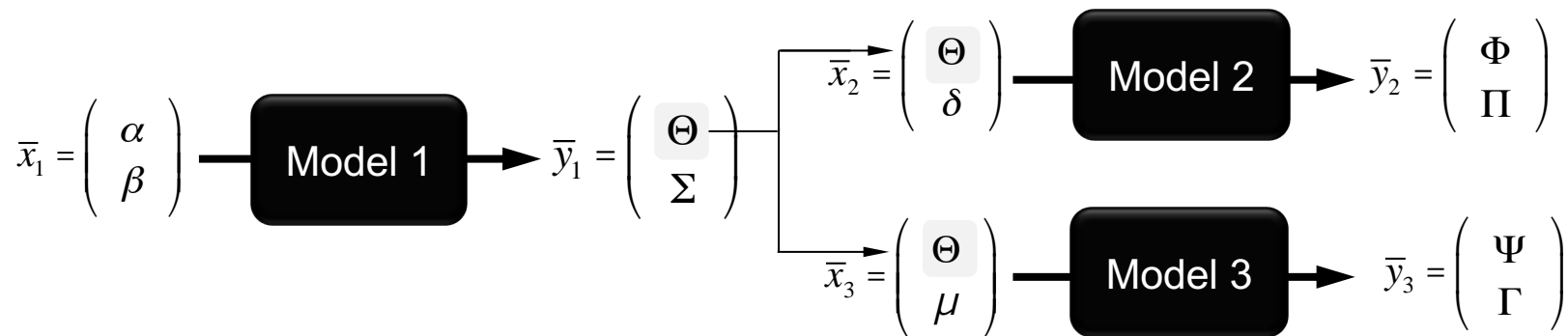


SG1: Top Event = (FW-P1 and FW-P2 and FW-P3) or FW-H or V1

- **Markov Models:**
 - Input variables: Initial State, Transition Matrix, End Time
 - Output variable: State at End Time
 - Procedure: Perform transitions among states until End Time is reached

Linking Models: RAVEN Ensemble Model

- Multiple “models” can be assembled together and treated as a single one
- Models can be completely heterogeneous:
 - Codes
 - External models
 - Reduced Order Models
- RAVEN acts as a hub for the information exchange
- Information passing between “models” could be:
 - Point values
 - Time Series
- Example:

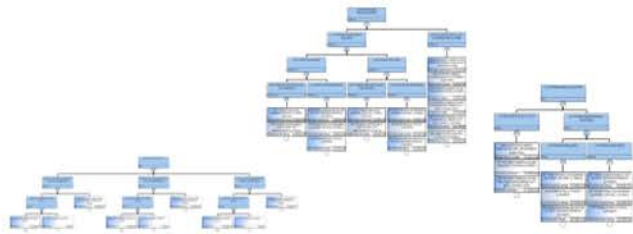


Application

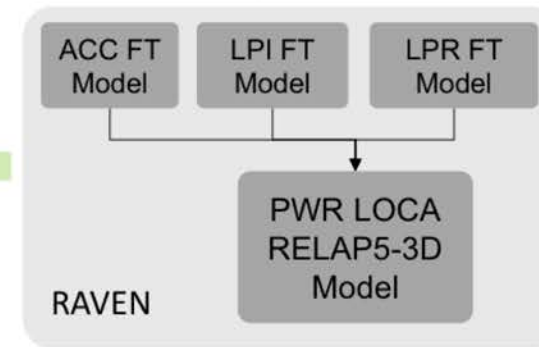
- Test case:
 - 3-loop PWR system
 - Large break LOCA (LB-LOCA)
 - 6", 8", 10" and double-ended guillotine (2A)
- Systems considered:
 - Accumulators (ACCs)
 - Low Pressure Injection System (LPI)
 - Low Pressure Recirculation (LPR)
- Scope of the analysis:
 - Show how FTs can be linked to RELAP5
 - Measure differences between Classical and Dynamic PRA

Classical And Dynamic PRA: Comparison Methodology

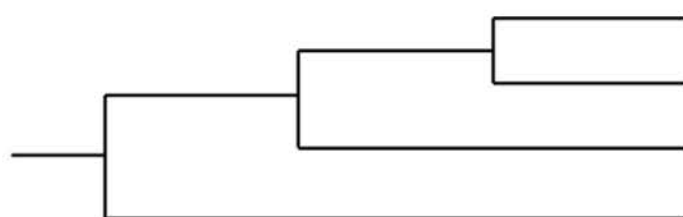
Classical PRA



Dynamic PRA

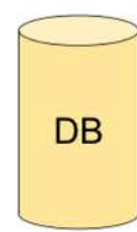


| IE | ACC | LPI | LPR | ID | Out |
|----|-----|-----|-----|----|-----|
|----|-----|-----|-----|----|-----|

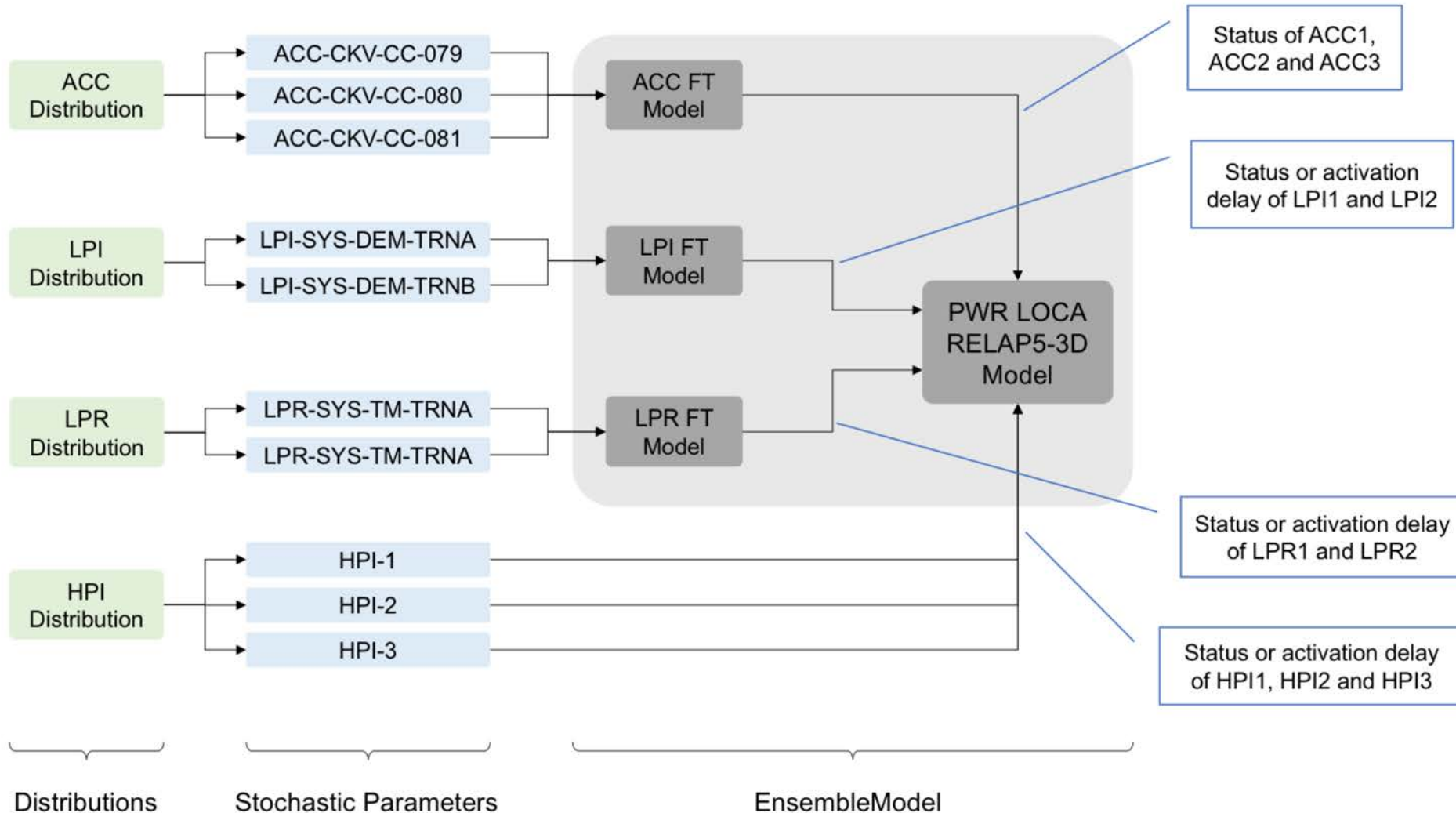


| | | |
|---|----|-----|
| 1 | OK | DB1 |
| 2 | CD | DB2 |
| 3 | CD | DB3 |
| 4 | CD | DB4 |

Comparison

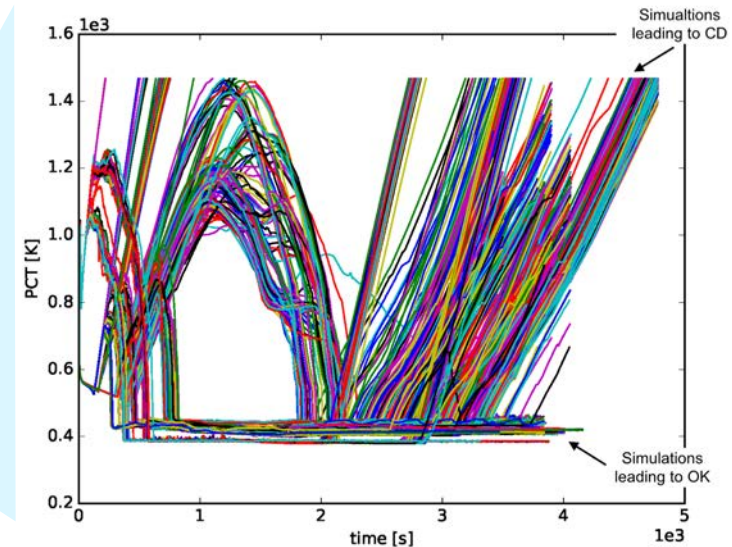
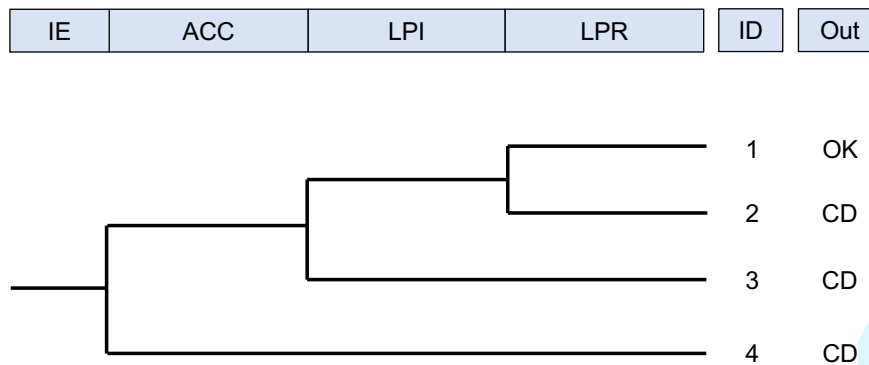


LB-LOCA Dynamic PRA



Results

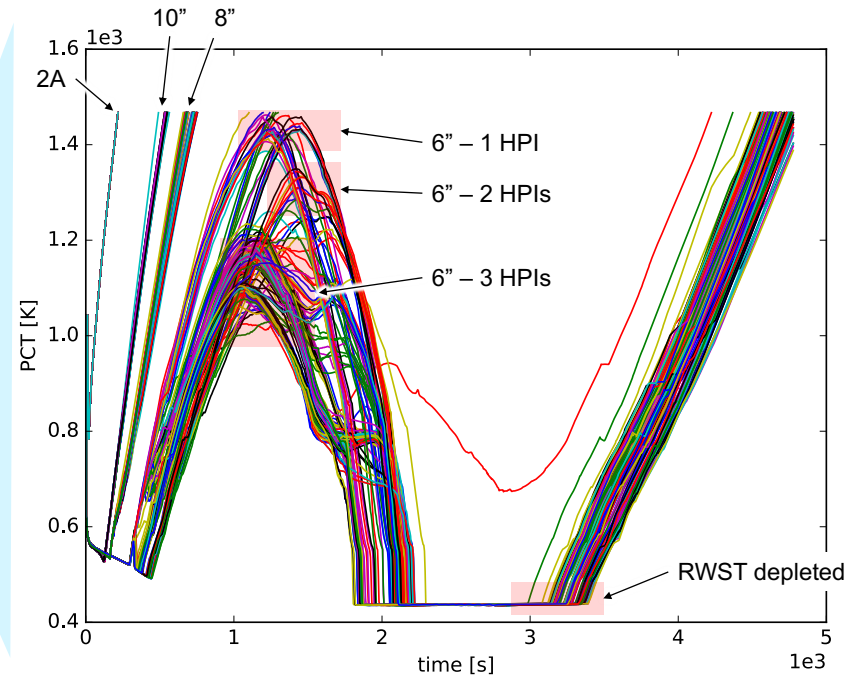
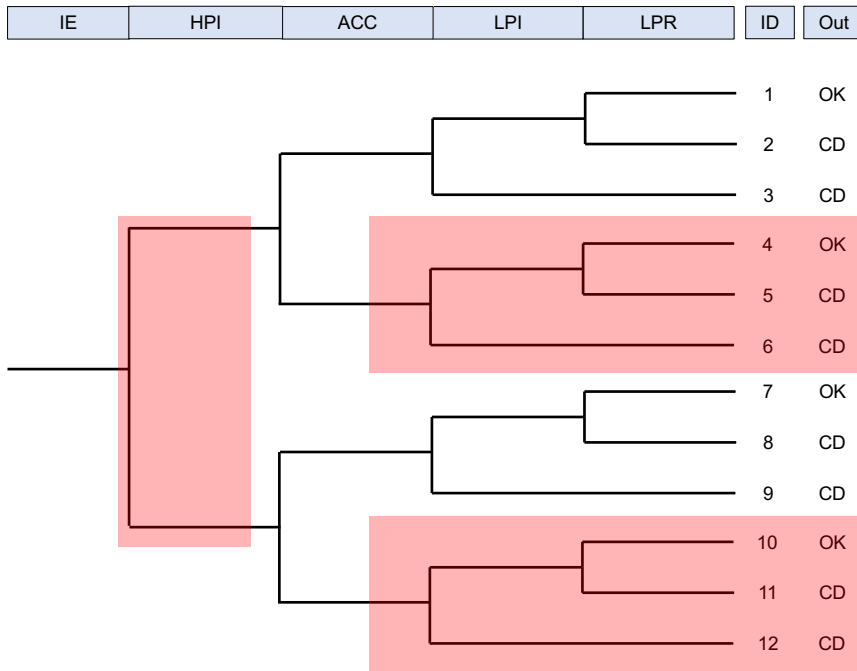
- Classical and Dynamic PRA results agree for the first three branches
- Disagreement on Branch 4:



- ET needs to be re-structured
 - Added new ET branching condition: HPI
 - Expanded part of ET after failure of the ACC system

Re-structured ET

- Analysis focuses on OK branches: determining safety margins



| Branch | 6'' | 8'' | 10'' | 2A'' |
|--------|-----------|-----------|-----------|-------------|
| 1 | [620,750] | [620,790] | [615,620] | [1045,1050] |
| 4 | [750,970] | [770,860] | [710,780] | [1050,1260] |
| 7 | [620,630] | [620,650] | [615,620] | [1045,1050] |
| 10 | [910,970] | [820,890] | [730,820] | [1150,1270] |

Conclusions

- We have shown how Classical PRA models can be linked to RELAP5-3D by employing RAVEN
 - Application areas: U.Q. and PRA
- PRA applications:
 - Validation of existing PRAs
 - Integration of simulation-based data into existing PRA